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621.397.12

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2001. - 28 .

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(G3) . ,
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4 (210×297) ,

 ρ D .

$$D = \lg \frac{1}{\rho}. \quad (1)$$

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✓ : -197 ;

✓ -8 / ;

✓ -4 / .

1 - !

2 , !

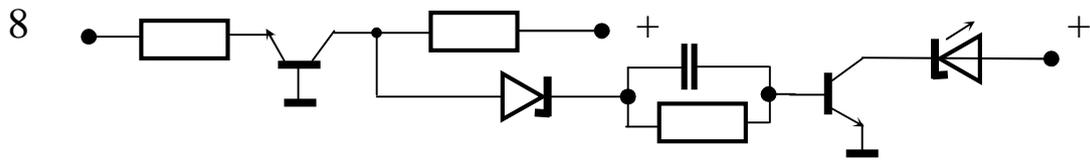
3 ...

4 THE QUICK BROWN FOX JUMP OVER THE LAZY DOG!

5 ?

6 $f(x) = (1/\sqrt{2 * \pi} * \sigma) * \exp(-(x - a) **2 / 2 * \sigma **2)$

7 , ?



2

, -
 . , 4 8 ./ 7,7' ./ , -
 3,5 · 10⁶ . -2 -
 1,3 · 10⁻⁴ . (-
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 (1728 (,), . 4 , -
 () . : , -
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 . -
 1 0. -

: 1728W → 010011011.

L (nd f lin) – 000000000001,

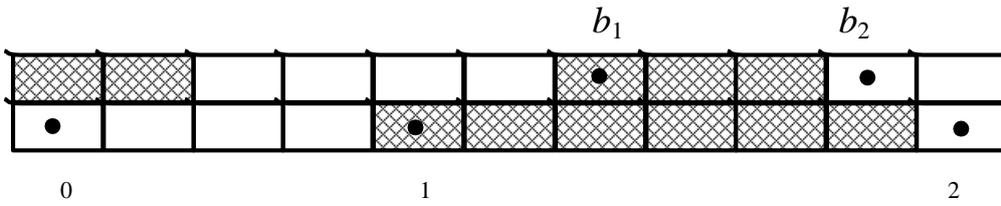
(),

– R (r turn tr nsmissi n ntr l).

20

W R
(fill) –

(.2.1).

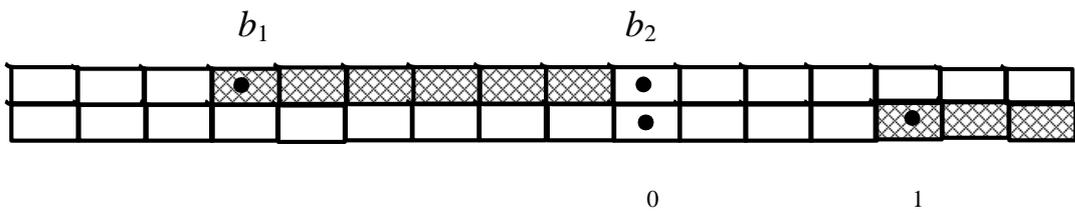


0 - (2.1 -) ;
 1 - , 0;
 2 - , 1;
 b₁ - , 0;
 b₂ - , b₁.

L. ()
 L + 1 - ;
 L + 0 - .
 ✓ ;
 ✓ ;
 ✓ .

(ss)

(.2.2).

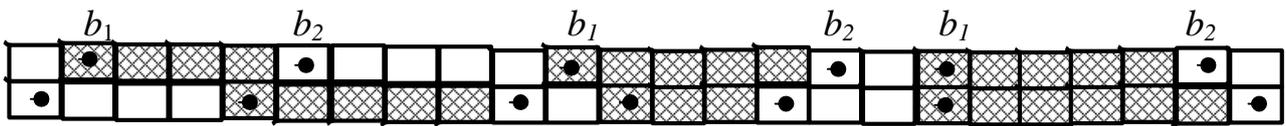


2.2 - 0 1
 (- 0001) , b₂

1.

V (v rti l)

(.2.3).



- 1) $V_R(3)$
- 2) $V_L(1)$
- 3) $V_R(1)$
- 4) $V_L(3)$
- 5) $V(0)$

2.3 -

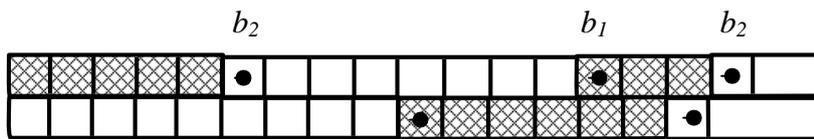
$V_R(3) - 1$ b_1 (v rti 1 right), ;
 $V_L(1) - 1$ b_1 (v rti 11 ft), ;
 \dots
 $V(0) -$ $1 b_1$, .

$L + 0,$

$V_R(3)$	$V_L(1)$	$V_R(1)$	$V_L(3)$	$V(0)$
0000011	010	011	0000010	1

()

(.2.4):



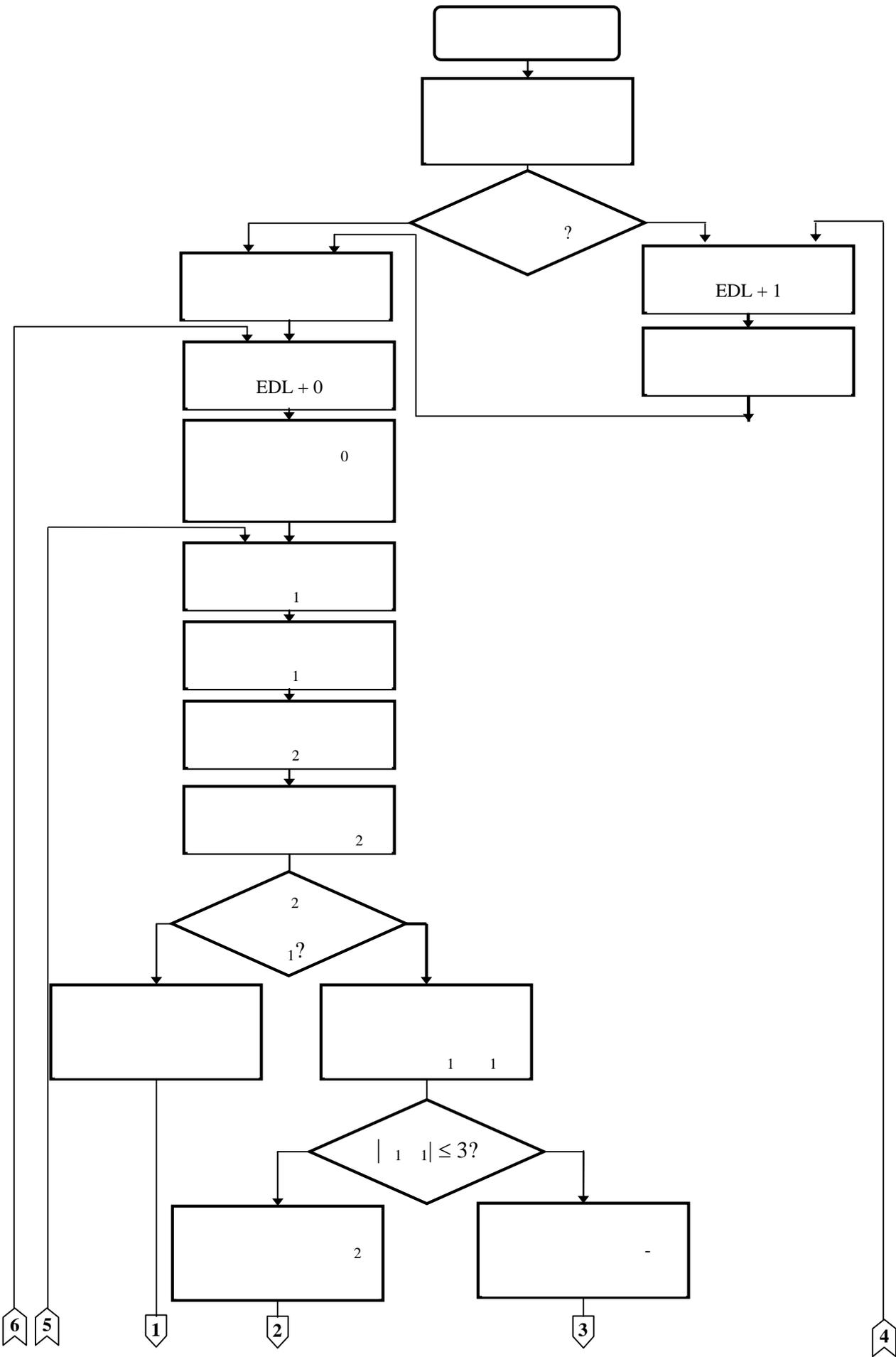
0 1 2
(4, 7)

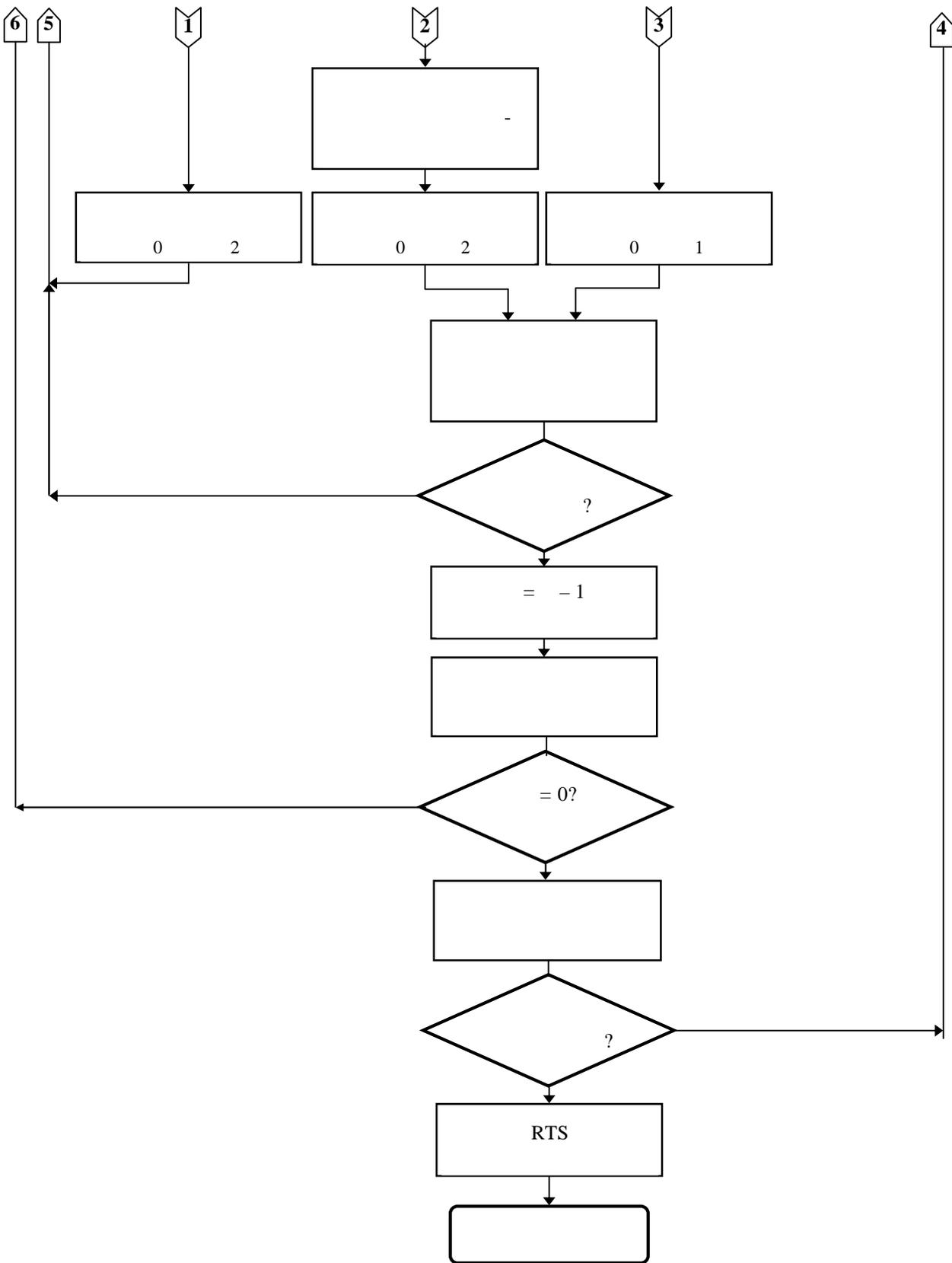
2.4 -

$b_1 > 3.$

$(4, 7) \rightarrow 001 + (0 1) + (1 2) \rightarrow 001 + (4W) + (7) \rightarrow 001101100011.$

001 -





2.5 - -

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➤ « ».-
. - () .

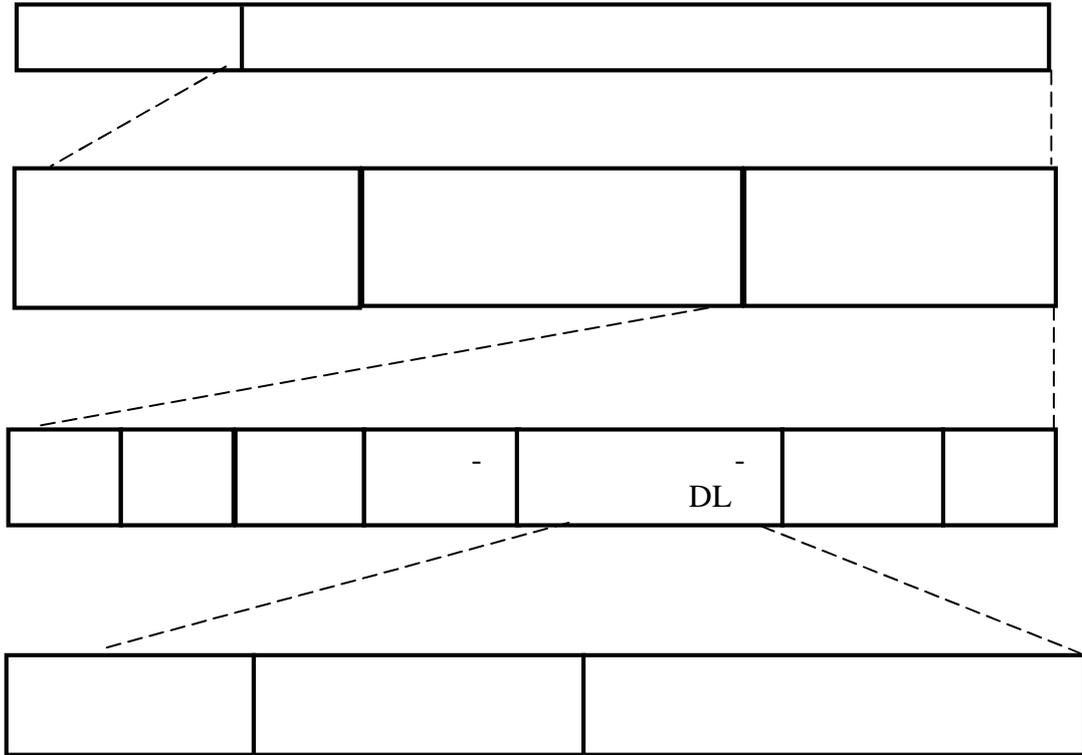
300

2400

() .

DL (igh-l v l D t Link ntr l).

(. 3.1).



3.1 -

1).

300

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2400 ,

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0 180⁰ 20 ;

➤

447 ;

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1100 1000 -

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1100 0000 -

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DL

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1

F F (f simil ntr l fi ld),



DIS (digit l id ntifi ti n sign l)

()

: 0000 0001;



D (digit l tr nsmissi n ntr l),

1000 0001;



D S (digit l ntr l s t),

0100 0001.

FIF (f simil inf rm ti n fi ld):

✓ 2 - () ;

✓ 2 - () 2,4; 4,8; 9,6; 7,2 ;

✓ 1 - -3,85 7,7 / ; ()

✓ 2 - -1728 2048;

✓ 2 - - 4, 3 - ;

✓ 3 - : 5, 10, 20, 40

✓ 1 - 2400 ;

✓ 1 - ;



FR (rr b r t f r r iv) - 10100001.

F S (fr m h k s qu n).

¹⁶ + ¹² + ⁵ + 1. F S),

()



3 ;



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() -

: (nd f g) -

➤ ()

➤ (nd f m ss g) 1111 0100;

); 1111 0001. ()

(r dur r iv int rru t) (RI- RI

RI-), (1111 1001, 1111 1100

); I (r dur int rru t sitiv)

, , 1011 0101;

➤ IN (r dur int rru t n g tiv)

, ()

1011 0100.

➤ :
 $1 = 35$

➤ ;
 $2 = 6$

(3 /). 2

() DL ;

➤ $3 = 10$

RI.

3

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(« 1 2»);
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✓ ;
✓ 1728 ;
✓ -20 ;
✓

16-

- . 4.

4 –

	/		/
1	9600	4	7,7
2	7200	.	3,58
3	4800	4	7,7
4	2400	.	3,58
5	9600	.	3,58
6	7200	4	7,7
7	4800	.	3,58
8	2400	4	7,7

4

()

() V (V2, V26, V27, V27t r, V29).

2,4; 4,8; 7,2; 9,6 / .

1800 ± 1 2,4 4,8 / ;

1700 ± 1 7,2 9,6 / .

2400 /

1200...2400 ,

- 1200 .

00	0°
01	90°
11	180°
10	270°

2 ().

4800 / .

001	0°
000	45°
010	90°
011	135°
111	180°
110	225°
100	270°
101	315°

1000...2600 ,

- 1600 .

().

9600 / .

700...2700 ,

2400 .

() . ()

Q ₁		Q ₂	Q ₃	Q ₄	
0	1				
3	5	0	0	1	0°
$\sqrt{2}$	$3\sqrt{2}$	0	0	0	45°
3	5	0	1	0	90°
$\sqrt{2}$	$3\sqrt{2}$	0	1	1	135°
3	5	1	1	1	180°
$\sqrt{2}$	$3\sqrt{2}$	1	1	0	225°
3	5	1	0	0	270°
$\sqrt{2}$	$3\sqrt{2}$	1	0	1	315°

✓ :
 ✓ 48 ;
 ✓ 1 0 (« »)
 ✓ 128 ;
 ✓ 384 ;
 ✓ 48 .
 (« »)
 3 180° ,
 4800 / 3 ,
 270° , 9600 / $3\sqrt{2}$, -315° .
 : - 3, 0° ; -
 4800 / -3 90° ,
 9600 / $3\sqrt{2}$ 135° .
 $1 +^{-6} +^{-7}$.
 - 90° 135° .
 (s r mbl -) - ,
 , .

· · · , · · · , · · · , · · ·

$$= 8\,388\,607 \cdot \left(1 + 2^{-18} + 2^{-23} \right) \cdot \left(2^{23} - 1 \right)$$

$$\left(1 + 2^{-18} + 2^{-23} \right) \cdot \left(\quad \right)$$

$$\left(1 + 2^{-18} + 2^{-23} \right) \cdot \begin{pmatrix} -13 & 0 \\ 0 & 0 \end{pmatrix}$$

4

$$\left(2^2 \cdot 3 \right) \cdot \left(\quad \right) \cdot \mathbf{5}$$

-F130, (G 3)

➤ ;

➤ ();

➤ , 4

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1 –

64	11011	64	0000001111
128	10010	128	000011001000
192	010111	192	000011001001
256	0110111	256	000001011011
320	00110110	320	000000110011
384	00110111	384	000000110100
448	01100100	448	000000110101
512	01100101	512	0000001101100
576	01101000	576	0000001101101
640	01100111	640	0000001001010
704	011001100	704	0000001001011
768	011001101	768	0000001001100
832	011010010	832	0000001001101
896	011010011	896	0000001110010
960	011010100	960	0000001110011
1024	011010101	1024	0000001110100
1088	011010110	1088	0000001110101
1152	011010111	1152	0000001110110
1216	011011000	1216	0000001110111
1280	011011001	1280	0000001010010
1344	011011010	1344	0000001010011
1408	011011011	1408	0000001010100
1472	010011000	1472	0000001010101
1536	010011001	1536	0000001011010
1600	010011010	1600	0000001011011
1664	011000	1664	0000001100100
1728	010011011	1728	0000001100101

2 -

0	0110101	0	0000110111
1	000111	1	010
2	0111	2	11
3	1000	3	10
4	1011	4	011
5	1100	5	0011
6	1110	6	0010
7	111	7	00011
8	10011	8	000101
9	10100	9	000100
10	00111	10	0000100
11	01000	11	0000101
12	001000	12	0000111
13	000011	13	00000100
14	1101100	14	00000111
15	110101	15	000011000
16	101010	16	0000010111
17	101011	17	0000011000
18	0100111	18	0000001000
19	0001100	19	00001100111
20	0001000	20	00001101000
21	0010111	21	00001101100
22	0000011	22	00000110111
23	0000100	23	00000101000
24	0101000	24	00000010111
25	0101011	25	00000011000
26	0010011	26	000011001010
27	0100100	27	000011001011
28	0011000	28	000011001100
29	00000010	29	000011001101
30	00000011	30	000001101000
31	00011010	31	000001101001
32	00011011	32	000001101010
33	00010010	33	000001101011
34	00010011	34	000011010010
35	00010100	35	000011010011
36	00010101	36	000011010100
37	00010110	37	000011010101
38	00010111	38	000011010110
39	00101000	39	000011010111
40	00101001	40	000001101100
41	00101010	41	000001101101
42	00101011	42	000011011010
43	001001100	43	000011011011
44	00101101	44	000001010100

2 ()

45	00000100	45	000001010101
46	00000101	46	000001010110
47	00001010	47	000001010111
48	00001011	48	000001100100
49	01010010	49	000001100101
50	01010011	50	000001010010
51	01010100	51	000001010011
52	01010101	52	000000100100
53	00100100	53	000000110111
54	00100101	54	000000111000
55	01011000	55	000000100111
56	01011001	56	000000101000
57	01011010	57	000001011000
58	01011011	58	000001011001
59	01001010	59	000000101011
60	01001011	60	000000101100
61	00110010	61	000001011010
62	00110011	62	000001100110
63	00110100	63	000001100111

3 –

				0001
	$b_1 b_2$			
	${}_1 b_1$	${}_1 b_1 = 1$	$V(0)$	1
	${}_1 b_1$	${}_1 b_1 = 1$	$V_R(1)$	011
		${}_1 b_1 = 2$	$V_R(2)$	000011
		${}_1 b_1 = 3$	$V_R(3)$	0000011
	${}_1 b_1$	${}_1 b_1 = 1$	$V_L(1)$	010
		${}_1 b_1 = 2$	$V_L(2)$	000010
		${}_1 b_1 = 3$	$V_L(3)$	0000010
(L) – 000000000001.				

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		DIS/D	D S
1	0	3	
2	1	3	3
3,4			, /
	00	2400	2400
	01	4800	4800
	10	9600	9600
	11	7200	7200
5,6	00		
7			, /
	0	3,85	3,85
	1	7,7	7,7
8	0		
	1		
9,10			, /
	00	1728	1728
	01	1728	2432
11,12	00	4	4
	01		
	10	4 4	4
13,14,15			, /
	000	20	20
	001	40	40
	010	10	10
	100	5	5
16	0		

- 1* . . . , 1982.
- 2* . . . , 1990.
- 3* , VII.
- 4* 2618-94.

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2.	7
3.	15
4.	19
5.	21
.	23
	26

